

Final Exam

- Root Locus
- Bode plots
- Nyquist plots
- Gain / phase margin
- 2nd order system response
- Linearization
- state space design
- Control design
range of gain for stability \triangleleft -
Routh Criteria

\rightarrow peak time / settling time / overshoot

- Different representations of an LTI system

- input/output differential equation

$$\ddot{x} + 3\dot{x} - 2x + 3x = 3u - u$$

- impulse response $\xrightarrow{\delta} \square \xrightarrow{h}$

- transfer function $\mathcal{L}[h]$

- state space

- Final Value Theorem

Sat.

- (A_d, B_d, C_d, D_d) ← discretized controller
 - sampling period T
 - θ_d
 - (a_0, a_1, a_2, a_3, T) 2 inputs
 - (\dots) 2 outputs
- (use save command)

(I I 8 2 0 8)

save <filename> <list of variables>

Sat

11-12

Yena/Gina (2)

3-4 John Wasan (1)

12-1

Ian/David (2)

1-2

Anson/ - - (2)

2-3

Paul/Joe (2)

Sun

12-1
1-2
2-3

Rich (1)
Eric/Andre (2)
Laura (2)

(Joe)
zhourv@rpi.edu

3-4

John Kua (2)

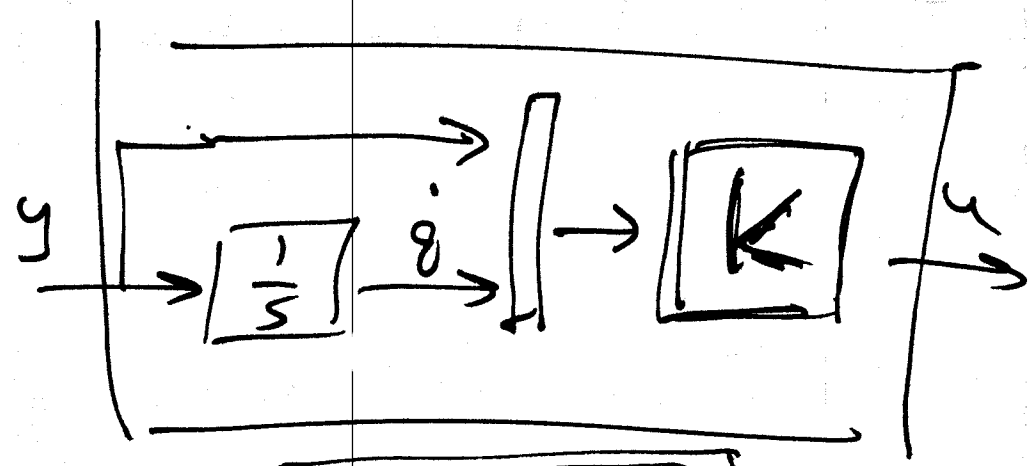
{ JTW's cell
441-0470

4-5

Ankur (2)

5-6

John (2)

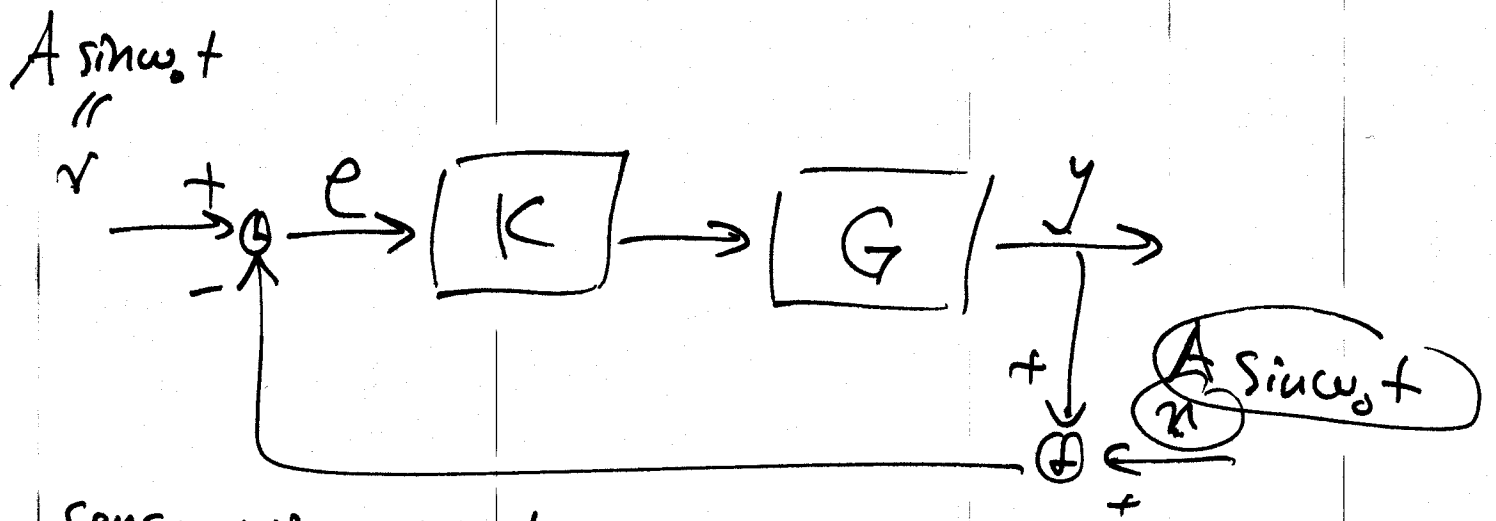


$$\begin{bmatrix} u_1 \\ u_2 \end{bmatrix} = \underbrace{K(s)}_{2 \times 4} \underbrace{\begin{bmatrix} 1 & 0 \\ 0 & 1 \\ \cancel{1/s} & 0 \\ 0 & \cancel{1/s} \end{bmatrix}}_{2 \times 2} \underbrace{\begin{bmatrix} y_1 \\ y_2 \end{bmatrix}}_{2 \times 1}$$

2 x 2 K1

$$K1 =^{SS} (K + [1 \ 0; 0 \ 1; +f(1, [1 \ 0]) \ 0; 0 \ +f(1, [1, 0])])$$

K1.a K1.b K1.c K1.d



Sensor noise \rightarrow output

$$y = -GK(y+n)$$

$$= -(I+GK)^{-1} GK n$$

tracking error

$$e = r - GK e$$

$$e = \left(\frac{1}{I+GK} \right) r$$

$S'(s)$

$$r = A \sin \omega_0 t$$

$$e = A \underbrace{|S'(j\omega_0)|}_{\text{}} \sin(\omega_0 t + \angle S(j\omega_0))$$

$$\left| \left(I + \underline{G(j\omega_0)} \underline{K(j\omega_0)} \right)^{-1} \right|$$

